## PATTERN

Planning Assistance Through Technical Evaluation of Relevance Numbers

## PATTERN

- Normative forecasting
- Relevance tree method
- Goal-oriented forecasting method where one establishes a future need and recedes backwards to the present and to the technologies needed to achieve the objective of the future.


## Basic form of relevance tree

GOAL

FUNCTIONS

TECHNOLOGIES


## Characteristics for forming the relevance tree:

There is hierarchy in the relevance tree Branches represent goals and sub-goals All relevant sub-goals for each goal have to be identified
Each branch must be well defined so that there are no overlaps

## PATTERN

- PATTERN has been used by the Honeywell Corporation for military, space and medical purposes.


## PATTERN is based on:

- Goal identification
- Recognizing the relevance of set goals in relation to criteria (means ranking, e.g. setting goals priority)
- Recognizing technological alternatives necessary for achieving the goal


## Steps for PATTERN

- Model description, recognizing the goals and hierarchy of the relevance tree
- Recognize criteria
- Determine relevance numbers - with participation of experts; selected exploratory, intuitive methods can be used
- Data processing and final results - calculating relevance numbers, goals priority, ranking of technological alternatives


## Basic terms

- Goals A, B,C...j...N
- Criteria $\alpha, \beta, \ldots, x, \ldots, v$.
- Levels 1, 2, 3...i...n
- Criteria weights

$$
W \alpha, W \beta, \ldots, W x, \ldots, W v .
$$

- Contribution marks of the goal j to criteria x element weights

$$
S j \alpha, S j \beta, \ldots, S j x, \ldots, S j v .
$$

- Based on the relevance tree primary matrix has to be made for each expert


## Primary matrix

| Criteria | $\alpha$ | $\beta$ | .... | x | .... | v |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Weights | $\mathrm{W}_{\alpha}$ | $\mathrm{W}_{\beta}$ | $\ldots$ | $\mathrm{W}_{\mathrm{x}}$ | $\ldots$ | $\mathrm{W}_{\mathrm{v}}$ |
| Goals | Contribution marks of goals to criteria - Element weights |  |  |  |  |  |
| A | $\mathrm{S}_{\mathrm{A}}{ }^{\text {a }}$ | $\mathrm{Sa}_{\mathrm{A}}{ }^{\beta}$ | .... | $S_{A}{ }^{\text {x }}$ | .... | $S_{A}{ }^{\text {v }}$ |
| B | $\mathrm{S}_{\mathrm{B}}{ }^{\text {a }}$ | $S_{B}{ }^{\beta}$ | $\ldots$ | $S_{B}{ }^{\text {x }}$ | $\ldots$ | $S_{B}{ }^{\text {v }}$ |
| C | $\mathrm{S}_{\mathrm{C}}{ }^{\text {a }}$ | $\mathrm{S}_{\mathrm{C}}{ }^{\beta}$ |  | $\mathrm{SC}^{\text {x }}$ | $\ldots$ | $S_{C}{ }^{\text {v }}$ |
| $\ldots$ | $\cdots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\ldots$ | $\cdots$ |
| j | $\mathrm{S}_{\mathrm{j}}{ }^{\mu}$ | $\mathrm{S}^{\beta}{ }^{\text {b }}$ | .... | $\mathrm{S}_{\mathrm{j}}{ }^{\text {a }}$ | $\ldots$ | $\mathrm{S}_{\mathrm{j}}{ }^{\text {V }}$ |
| .... | $\ldots$ | $\ldots$ | .... | $\ldots$ | $\ldots$ | $\ldots$ |
| N | $\mathrm{S}_{\mathrm{N}}{ }^{\text {a }}$ | $\mathrm{S}_{\mathrm{N}}{ }^{\beta}$ | .... | $\mathrm{S}_{\mathrm{N}}{ }^{\text { }}$ | $\ldots$ | $\mathrm{S}_{\mathrm{N}}{ }^{\text {v }}$ |

## Basic terms

- Based on the primary matrix the final primary matrix has to be calculated
- The elements of final primary matrix are average values of responding elements in primary matrixes


## Basic terms

- A panel of experts can be asked to weight the importance of each criterium in relation to the others
- The panel could be asked to weight the contribution of each element/goal to criteria - element weights


## Conditions for primary and final primary matrix

- Sum of criteria weights is 1

$$
\sum_{x=\alpha}^{v} W_{x}=1
$$

- Sum of contribution marks of goals to each criterium is 1

$$
\sum_{j=A}^{N} S_{j}^{x}=1
$$

- Partial relevance numbers (relevance of goal j for criterium x )
- Local relevance numbers (relevance of goal $j$ at level i)

$$
r_{i}^{j}=\sum_{x=\alpha}^{v} W_{x} S_{j}^{x}
$$

- Condition - Sum of local relevance numbers at one level has to be 1

$$
\sum_{j=1}^{N} r_{i}^{j}=1
$$

Cumulative direct relevance number Relevance of goal j for main goal, whole relevance tree

$$
R=\prod_{i=1}^{n} r_{i}
$$

